Mental Math Solutions

7th	Answer	Solution
1	21 [miles]	7 x 3 = 21
2	12 [days]	.8 x 15 = 12
3	4 [inches]	20/5 = 4
4	3/4	{HH, HT, TH, TT} 3/4 of these have at least one H
5	14 [inches]	$r = \sqrt{194} = 14$
6	11	(14 + 7 + 21 + 2)/4 = 11
7	135 [degrees]	6(180)/8 = 135
8	10 [sets]	$_{5}C_{3} = 10$

"Math is Cool" Masters -- 2018-19 Middle School <u>Individual Test Solutions</u>

7th	Answer	Solution
1	4408	76 x 58 = 4408
2	885833	8735207 – 7849374 = 885833
3	2	$\sqrt{36} - \sqrt{16} = 6 - 4 = 2$
4	4.369 x 10 ⁷	$a \ge 10^{b}$ where <i>a</i> is a number between 1 and 10 and <i>b</i> is the number of places needed to move the decimal to the left to make <i>a</i> such a number
5	28 [inches]	$\sqrt{49}$ = 7 = side length, 4 x 7 = 28 = perimeter
6	1/663	Two red queens and two black jacks 2/52 x 2/51 = 1/26 x 2/51 = 1/13 x 1/51 = 1/663
7	[x =] 3	$7x/3 = 7 \rightarrow 7x = 21 \rightarrow x = 3$
8	9 [days]	If it doubles every day then it must have been half the size the day before. The day before day 10 is day 9.
9	6 [ways]	\$1 x 18 \$1 x 13 and \$5 x 1 \$1 x 8 and \$5 x 2 \$1 x 8 and \$10 x 1 \$1 x 3 and \$5 x 3 \$1 x 3 and \$5 x 1 and \$10 x 1,
10	9	$(3x + 2)(3x + 2) = 9x^{2} + 12x + 4$ 9 is the coefficient of the x ² term
11	105 [blips]	35 blips = 15 blaps, 15 blaps = 27 blops, so 35 blips = 27 blops, and 105 blips = 81 blops
12	2 or ll	NE = Q1 and they are numbered in counterclockwise order. (-, +) is NW or Q2.

13	25	$ 3 - 4 \cdot 7 = 3 - 28 = -25 = 25$
14	20160 [ways]	8!/2! = 40320/2 = 20160
15	2 [zeros]	14! has a factor of 5 and a factor of 10. The factor of 10 means there will one zero at the end. The factor of 5 means there will be a 2 nd zero at the end since 5 times any even number ends in a zero.
16	53 [pencils]	21 + 3 + 3 - 2 + 3 + 2 + 3 - 2 + 3 + 3 - 2 + 2 + 3 + 3 - 2 + 3 + 2 + 3 - 2 + 3 + 3 - 2 + 2 = 21 + 36 - 12 + 8 = 53
17	295 ^[°]	The minute hand points to the 2 and the hour hand is $1/6$ of the way between 4 and 5. $(1/6)30 = 5$. From 2 to $4 = 60$ degrees. $60 + 5 = 65$. $360 - 65 = 295$ degrees.
18	ABDC	5683 +7462 13145, so A = 8, B = 4, C = 2, D = 3, so ABDC is greatest to least.
19	24	23 9-5-1-8
20	95 [people]	All four numbers add up to 150, the numbers in the Pickles circle add up to 50, and the numbers in the Chocolate circle add up to 20. So the answer is 95.
21	40 [minutes]	Focus on Eho. Ten minutes to go, come back and get backpack. Then thirty more to walk a mile, for a total of 40.
22	\$3121.20 or 3121 dollars and 20 cents	3000(1.02) = 3060 3060(1.02) = 3121.20
23	44 [cubes]	Only cubes on the edges and the corners will have two or three faces painted. The rest have only one face or zero faces painted. There are 8 vertices and 12 edges. Subtract 2 (for the corners) from 5 to get the number of cubes on the edges. So the answer will be 12 x 3 + 8 = 44.

24	1 [hole]	3 holes with 1 putt and 2 putts on the other 15 holes makes
27		a total of 33 putts. 47 – 33 = 14
		If he has one extra putt on 14 of the 15 holes with at least 2
		putts, he could conceivably have just one hole with 2 putts.
25	22/105	P(gg) = 3/15x2/14 = 6/210
23		P(bb) = 4/15x3/14 =12/210
		P(br,br) = 3/15x2/14 = 6/210
		P(bl,bl) = 5/15x4/14 = 20/210
		(6+12+6+20)/210 = 22/105
26	13/16	P(at east 2 H) = 1 - P(0H or 1H)
20		1 - (1/32 + 5/32) = 26/32 = 13/16
27	11 [cows]	Let a = chickens, b = cows
21		$(3a + 5b = 73)(2) \rightarrow 6a + 10b = 146$
		$(2a + 3b = 45)(-3) \rightarrow -6a - 9b = -135$
		Add the two new equations:
		b = 11 cows
28	$5\sqrt{5}$ [inches]	$3^2 + 6^2 = c^2 \rightarrow 9 + 36 = c^2 \rightarrow 45 = c^2 \rightarrow c = 3\sqrt{5} = hypotenuse$
20		of the triangle with legs 3 and 6. Then because the triangles
		are similar:
		$6/(6+4) = 3\sqrt{5}/x \rightarrow 6x = 30\sqrt{5} \rightarrow x = 5\sqrt{5}$
20	5	$x^2 - 5x - 50 = 0$
29		(x-10)(x+5) = 0
		x = 10 and x = -5, and 10 + -5 = 5
30	$54\sqrt{3}$ [in ²]	A regular hexagon is made of 6 equilateral triangles. For and
50		equilateral triangle, the formula is A = $s^2\sqrt{3}/4$, so for a
		hexagon it will be $6(6^2\sqrt{3}/4) = (216/4)\sqrt{3} = 54\sqrt{3}$
21	66 [seconds]	$r_1 = d/t$ and $r_2 = d/60$,
JI		$r_2 = 1.1r_1 = 1.1d/t \rightarrow d/60 = 1.1d/t \rightarrow 1/60 = 1.1/t \rightarrow t = 66$
		seconds
22	13.5	$S = a_1/(1-r)$ or
52		$S = 9 + 3 + 1 + \dots$
		(1/3)S = 3 + 1 + Subtract equations
		$(2/3)S = 9 \rightarrow S = 9(3/2) = 13.5$

22	1/26	1,3,9,347
55		2,6,18,334
		3,9,27,321
		9,27,81,243 – ratio of 1:3:9:27
		26,78,234,22
		27,81,243,9
		If you write the list of strings of numbers where the first
		three are in a ratio of 1:3:9, it looks like the list above. At
		first, it seems like there are 27 possibilities, but it turns out
		that the last one in the list has the same four numbers as
		the one with 9,27,81,243.
21	14 [ordered	9πa + 9πb/3 = 132π simplifies to 3a + b = 44
54	pairs]	Starting with a = 1, there are 14 integer solutions to this
		equation
25	[q =] 4800	Even multiples of 13 include 26, 52, 78, 104, etc. Even
55		multiples of 17 include 34, 68, 102, etc. The only pair from
		these two lists that are close enough together to be part of
		a set of three consecutive even integers are 102 and 104.
		Then the smallest possible third of the three consecutive
		even integers would be 100. The prime factorization of 100
		x 102 x 104 is 2 x 2 x 5 x 5 x 2 x 3 x 17 x 2 x 2 x 2 x 13. If you
		multiply this out without the 13 or 17 included, you get
		4800.
36	702	$(x + 1/x)^2 = x^2 + 2 + 1/x^2 = 81$
00		So $x^2 + 1/x^2 = 79$
		$(x + 1/x)(x^2 + 1/x^2) = 9 \times 79 = 711$
		$x^3 + 1/x + x + 1/x^3 = 711$
		$x^3 + 1/x^3 + x + 1/x = 711$
		$x^3 + 1/x^3 + 9 = 711$
		$x^3 + 1/x^3 = 702$
		or
		use the pattern
		$(a + b)^3 = a^3 + 3a^2b + 3ab^2 + b^3$ to expand $(x + 1/x)^3 = 729$
		and solve that way.
37	3/6622	44 cards total, three 6s, two 12s, one 18
		(3C1 x 2C1 x 1C1)/44C3
		or
		1/44 x 2/43 x 3/42 x 6

38	[C =] 46	When S = 6, there are three terms, $15x^4y^2$, $16x^3y^3$, and $15x^2y^4$.
		15 + 16 + 15 = 46
39	17/988	The number of sets of 3 distinct 2-digit integers is 40C3 =
57		(40x39x38)/(3x2x1) = 9880.
		Sets where the median = the mean are as follows:
		$\{10,11,12\}, \{11,12,13\}, \ldots, \{47,48,49\} \rightarrow 38$
		$\{10, 12, 14\}, \ldots, \{45, 47, 49\} \rightarrow 36$
		$\{10, 13, 16\}, \ldots, \{43, 46, 49\} \rightarrow 34$
		$\{10, 14, 18\}, \ldots, \{41, 45, 49\} \rightarrow 32$
		{10,15,20},, {39,44,49} → 30
		$(30+32+34+36+38)/_{40}C_3 = 170/9880 = 17/988$
1.0	[n =] 10	b must be 4, 5, 6, 7, 8, or 9
40		Check them all
		$123_4 = 27, 123_5 = 38, 123_6 = 51, 123_7 = 66, 123_8 = 83$, and
		$123_9 = 102$, so all of them meet the first condition. Then
		check 321 ₄ = 57, 321 ₅ = 86, 321 ₆ = 121, 321 ₇ = 162, 321 ₈ =
		209, and $321_9 = 262$. It only meets the second condition
		when b = 9 and $(10 + 6)^2 + 6 = 262$. So, n = 10.
1.1	13	-9x+9y+8z=155 and -9(-x-2y+5z=83) added together is
41		27y-37z=-592
		2(-x-2y+5z=83) and 2x-5y+5z=74 added together is -
		9y+15z=240
		-3(9y+15z=240) and 27y-37z=-592 added together is 8z
		= 128, so z = 16 9y+15(16)=240 means that y=0
		-x-2(0)+5(16)=83 means that $x=-3$
		-3 + 0 + 16 = 13
40	[d =] 117	From the first equation you can see that b x c must equal 8
42		and by solving the second equation you get that $b + c = a$.
		So, when $b = 1$ and $c = 8$, then $a = 9$. When $b = 2$ and $c = 4$.
		then $a = 6$. Swapping the values of b and c in each of these
		cases gives the same value of a. Since $a^2 = d$, there are two
		possible values of d. 6^2 and 9^2 and $36 + 81 = 117$.

43	36/7 [ft]	Let ? = x and the right and left segments that add up to 6 be y and $6 - y$ Then x/12 = y/6 and x/9 = $(6 - y)/6$ So $6x = 12y$ and $6x = 54 - 9y$ 12y = 54 - 9y y = 18/7 x/12 = 18/42 x = 216/42 = 36/7
44	13 [cm]	Solve for the radius of the sphere $(4/3)\pi r^3 = 2304\pi$ r = 12 If x is the side length of the cube, then $x\sqrt{3} = 24$ and $x = 8\sqrt{3}$ $8 \times 1.7 = 13.6$ So, the largest integer less than 13.6 is 13
45	$\sqrt{3}/3$ or $\frac{1}{\sqrt{3}}$	Points chosen on the circle result in right triangle, points outside the circle result in acute triangles, points inside the circle result in obtuse triangles. The height of the triangle is 1 so half of a side is $1/rt 3$, meaning the perimeter is $6/rt 3$. The parts of \overline{AO} and \overline{BO} that are inside the semicircle are each of length 1. To get the answer simplify $2/(6/rt 3)$. Points O, C, and the other two intersections of the triangle and the semicircle are dimensionless, so they do not effect the probability

Multiple Choice Solutions

7th	Answer	Solution
1	Е	A(-6, 8) and A'(-6, -8) From 8 to -8 is 16 units
2	D	C(-4, 4), C'(4, 4), C"(4, -11) CC" = $\sqrt{(-4 - 4)^2 + (411)^2} = \sqrt{64 + 225} = \sqrt{289} = 17$
3	D	A(-6, 8) \Rightarrow (-6) ² + 8 ² = 100, OA = 10, area = 100 π B(-9, 6) \Rightarrow (-9) ² + 6 ² = 117, OB = $\sqrt{117}$, area = 117 π C(-4, 4) \Rightarrow (-4) ² + 4 ² = 32, OC = $\sqrt{32}$, area = 32 π D(-5, 7) \Rightarrow (-5) ² + 7 ² = 74, OC = $\sqrt{74}$, area = 74 π Area ratio is 32 π : 74 π : 100 π : 117 π , which simplifies to 32:74:100:117
4	С	6,929,725,043 in scientific notation is 6.929725043×10^9 and if the decimal number is rounded to the nearest hundredth, it would be 6.93×10^9
5	E	3.4 hundred million – 0.5 hundred million = 2.9 hundred million 2.9/0.5 = x/100 x = 290/0.5 = 580

6	В	2.5% of 4 billion is 100 million
U		4,000,000,000
		- 100,000,000
		3,900,000,000
		2.5% of 3,900,000,000 is 97,500,000
		3,900,000,000
		<u>- 97,500,0</u> 00
		3,802,500,000
		2.5% of 3,802,500,000 is 95,062,500
		3,802,500,000
		- <u>95,062,5</u> 00
		3,707,437,500 – this is the answer
7	В	(0, 0), (1, 1), (2, 2), (3, 3), (4, 4), (5, 5), and (6, 6)
		tiles $7/28 = 1/4$
0	С	There are a total of 8 of each number from 0 to 6.
ð		so 8(0 + 1 + 2 + 3 + 4 + 5 + 6) = 8(21) = 168
9	Е	To calculate the number of tiles in a double-
		twelve set: there are 13 tiles in the list $(0, 0)$, $(0, 0)$
		1), (0, 2),, (0, 12), 12 tiles in the list (1, 1), (1,
		2), $(1, 3), \ldots, (1, 12)$, 11 tiles in the list $(2, 2), (2, 3)$
		$(2, 4), \ldots, (2, 12), and so on until the last list is the one tile (12, 12). So the total is 1 + 2 + 3 + \cdots + 3$
		11 + 12 + 13 = 91
10	A	Double-six set has 28 total tiles
10		(1+2+3+4+5+6+7)
		Double-nine set has 55 total tiles
		(1+2+3+4+5+6+7+8+9+10)
		P((6, 4), then (3, 5)) in double-six set = 1/28 x
		1/27
		A = 1/(28x27) $P((C, A) then (2, 5)) in double nine set = 1/(55 v)$
		1/54
		B = 1/(55x54)
		28x27 = 2x2x7x3x3x3
		55x54 = 5x11x2x3x3x3
		LCM of (2x2x7x3x3x3) and (5x11x2x3x3x3) is
		2x2x3x3x3x5x7x11

Team Test Solutions

7th	Answer	Solution
1	5.5 [hours]	165/55 + 175/70 = 5.5
2	11 [prime numbers]	23,29,31,37,41,43,47,53,59,61,67
3	34	34 +35 + 36 + 37 = 142 3+4+3+5+3+6+3+7=34
4	38 [Ruby- Throated Hummingbirds]	5/12 of 228 is 95 Ruby-Throated Hummingbirds, so there are 133 Bee Hummingbirds. 133 – 95 = 38
5	441	21^2 = sum of 1 st 21 odd integers = 441, or just add them.
6	5 [shots]	Make 4, miss, make 4, miss, make 4, miss, make 5 All other scenarios involve longer streaks
7	$5\sqrt{2}$ [inches]	$d = \sqrt{3^2 + 4^2 + 5^2} = \sqrt{50} = 5\sqrt{2}$
8	-1	The coordinates are: A(-3, 4) and A'(4, -3) Slope of $\overline{AA'} = (43)/(-3 - 4) = -1$
9	4/5	There are 5 multiples of 8 between 0 and 41, between 41 and 82, between 82 and 123, etc. Only the last of these 5 multiples will be followed either by a hippo yawn or a simultaneous tick consumption and hippo yawn. Therefore, 4 out 5 times is the answer.

10	72 [paths]	ABCDE, ABEDC, ACBDE, ACBED, ACDBE,
		ACDEB, ADCBE, ADEBC, AEBCD, AEBDC,
		AEDBC, AEDCB – 12 that start with A
		There are also 12 that start with B
		CABDE, CABED, CADBE, CADEB, CAEBD,
		CAEDB, CBADE, CBAED, CBDAE, CBDEA,
		CBEAD, CBEDA, CDABE, CDAEB, CDBAE,
		CDBEA, CDEAB, CDEBA – 18 that start with C
		There are also 18 that start E
		DACBE, DAEBC, DBCAE, DBEAC, DCABE,
		DCAEB, DCBAE, DCBEA, DEABC, DEACB,
		DEBAC, DEBCA – 12 that start with D

Relay Solutions

7th	Answer	Solution
1-1	46 [centimeters]	2(15 + 8) = 46
1-2	45	1,2,23.46 46 - 1 = 45
1-3	[x =] 21	3.5/7.5 = x/45 x = 21
1-4	3 [values]	$1+2+3+4=5+6 \rightarrow X = 6$ $6+7+8 \rightarrow X = 3$ $10+11 \rightarrow X = 2$ 3 values
2-1	12	42 = 2x3x7 2+3+7 = 12
2-2	1728	12 ³ =1728
2-3	95 [multiples]	96x18 = 1728, so 95 multiples are less than 1728
2-4	19	$95 = \sqrt{475D}$ $95 \cdot 95 = 475D$ $D = \frac{95 \cdot 95}{25 \cdot 19} = 19$

<u>College Bowl Round #1 Solutions</u>

7th	Answer	Solution
1	[x=] 23	3x+16=85 3x=69 x=23
2	4/25 or "4 over 25" or "4 out of 25"	2/5x2/5=4/25
3	0	(2-2)/(2-4)=0
4	42 [cents]	9D – (3P+3N+3D) 90 – (3+15+30)=42
5	8190 [ants]	Three 4-hr periods in half a day \rightarrow 21 4-hr periods in 3.5 days \rightarrow 21 x 390 =8190
6	32768	$8^5 = 2^{15} = 2^{10}x2^5 = 1024x32 = 32768$
7	3	# of vertices of a nonagon is 9 and a tetrahedron has 6 edges, so 9 – 6 = 3
8	9 [days]	18 - 3 + 1 -
9	72	0.1x6! = 0.1x720 = 72
10	360 [degrees]	Sum of exterior angles on any regular polygon is 360.

College Bowl Round #2 Solutions

7th	Answer	Solution
1	3/10 or "3 over 10" or "3 out of 10"	P(3 blue in a bag with 10 total) = 3/10
2	East	90x7=630=360+270 Starting from north, 270 CCW = East
3	6 [candies]	Start with 21, Jean gets 9, 12 left, I eat 6, 6 left.
4	20 [diagonals]	n(n-3)/2 8(5)/2=20
5	6.4 [hours]	8Z = 8H, 2Z = 32H (or 4 times as long as 8Z), 10Z = (32/5)H (or 1/5 as long as 2Z) = 6.4H
6	[x=] 16	x + y = 50, 2x + 2= y, x + 2x + 2 = 50, 3x = 48, x = 16
7	5:20 am	60x33=1980 → 2000 min = 33 hrs, 20 min → 33 hrs, 20 min – 24 hrs = 9 hrs, 20 min → 8 PM + 9 hrs, 20 min = 5:20 am
8	4/11 or "4 over 11" or "4 to 11"	10-39 is 30 numbers 8 primes: 11, 13, 17, 19, 23, 29, 31, 37 The rest (= 22) are composite 8/22 = 4/11
9	4.3 [miles]	6 mi in 60 min \rightarrow .1 mi in 1 min \rightarrow 4.3 mi in 43 min
10	288π [in³]	$V = 4/3\pi r^3$ 4/3 π (6 ³) = 4/3 π (216) = 4 π (72) = 288 π

College Bowl Round #3 Solutions

7th	Answer	Solution
1	4.2 [times]	21/5 = 4.2
2	95	97 – 2 = 95
3	104 [degrees]	Sum of angles of a quadrilateral = 360 360 – 60 = 300 (300)/3 = 100
4	36 [cm ³]	Smallest possible values of A, B and C are A = 3, B = 2, C = 6 V = $3x^2x^6 = 36$
5	14	ab = 147, a = 3b \rightarrow 3b ² =147 \rightarrow b ² = 49 \rightarrow b = 7 and a = 21 21 - 7 = 14
6	200 [skittles]	A minimum of 100 each of 4 colors = 400 The rest could be the fifth color = 200
7	19/26 or "19 out of 26" or "19 over 26"	6 red face cards, 4 aces, 4 twos = 14 winning cards and 38 losing cards 38/52 = 19/26
8	330	LCM(60, 150) = 300 GCF(60, 150) = 30 300 + 30 = 330
9	[0].45	11/5 - 7/4 = (44 - 35)/20 = 9/20 = 0.45
10	6 [ways]	4!/(2!2!) = 6

College Bowl Round #4 Solutions

7th	Answer	Solution
1	10	6 x 99 = 594, the closest multiple of 11 less than 604 604 – 594 = 10
2	228	19(3 + 21)/2 = 228
3	38 [free throws]	(7 + x)/(12 + x) = 9/10 70 + 10x = 108 + 9x x = 38
4	115 [%]	p/100(7000)=8050 p=8050(100)/7000 = 115
5	7	Ignore the two thousand part 15 ³ = 3375, so 7
6	20 [factors]	648 = 2 ³ x 3 ⁴ Total number of factors = (3 + 1)(4 + 1) = 20
7	64π [ft²]	d = 8, r = 4, SA = $4\pi r^2$ $4\pi (4)^2 = 64\pi$
8	7 [integers]	105, 120, 135, 150, 165, 180, 195 – 7 integers
9	119	7/12 + 2/5 = (35 + 24)/60 = 59/60 59 + 60 = 119
10	20 [palindromes]	22, 33, 44, 55, 66, 77, 88, 99, 101, 111, 121 131, 141, 151, 161, 171, 181, 191, 202, 212 – 20 palindromes

College Bowl Round #5 Solutions

7th	Answer	Solution
1	6 [years old]	¼ of 24 = 6 He'll be 30 in 24 years, which is 5 times 6.
2	11/15 [beats per second] or "11 over 15"	44 beats in 60 sec = 44/60 beats per sec = 11/15
3	[x =] 8	x + 19 = 3/5(45) x + 19 = 27 x = 8
4	\$38.04 or 38 dollars and 4 cents or thirty-eight- oh-four	4 x 2.99 = 11.96 50 - 11.96 = 38.04
5	28 [centimeters]	Shortest possible: A > 19 – 15 > 4 or 5 Longest possible: A < 19 + 15 < 3 or 33 33 – 5 = 28
6	11/40 or "11 out of 40" or "11 over 40"	3 x 13 = 39, so 13 multiples of 3. Multiples of 3 that are also multiples of 5 are multiples of 15. There are 2 multiples of 15 less than 40. $13 - 2 = 11 \rightarrow 11/40$
7	14 [prime factors]	Just count the prime numbers less than 46: 2, 3, 5, 7, 11, 13, 17, 19, 23, 29, 31, 37, 41, 43 → 14 prime factors
8	16 [oranges]	6B = 10A and 5A = 120 \rightarrow 10A = 240 \rightarrow 6B = 240 \rightarrow 4B = 160
9	124	$3^2 - 4 = 5, 5^3 - 5^2 + 7(5) - 11 = 124$
10	36 [cows]	c/s = 2/5, c/total = 2/7, 126/7 = 18, 2 x 18 = 36 cows

College Bowl Round #6 Solutions

7th	Answer	Solution
1	[x =] 7	400x - 600 = 2200
-		400x = 2800
		x = 7
2	16/81	(2/3)^4 = 16/81
3	6 [multiples]	27, 36, 45, 54, 63, 72 = 6 multiples
4	5.6	(2+3+5+7+11)/5=5.6
5	9 [cards]	If Eman only had the Edwin Diaz card, then Connor must have traded 12 cards to her for it. If Eman had more than just the Edwin Diaz card, then Conner would have traded fewer cards for it, so that Eman ended up with 12 cards. Therefore, the scenario in which Connor traded 12 cards is the one in which he has the greatest number of cards to start with. In order for Connor to have 12 cards after trading with Bella, he must have had 9 to start with (9 + 4 -1 = 12).
6	594	A/B = C/D and B = $6A \rightarrow A/6A = 1/6 = C/D$ C is a 2-digit number. To maximize the value of D, C must be $99 \rightarrow 99/D = 1/6 \rightarrow 6(99) = D = 594$
7	784π [cm³]	$14^2\pi(4) = 784\pi$
8	4 [minutes]	.9(150) = 135 540/135 = 4 min
9	Sunday	7 x 17 = 119 120 – 119 = 1 1 day after Saturday is Sunday
10	12	A = bh/2 and b = 2h \rightarrow 2h(h)/2 = 36 \rightarrow h ² = 36 \rightarrow h = 6 \rightarrow b
_	[centimeters]	= 12

<u>College Bowl Round (Extra) Solutions</u>

7th	Answer	Solution
1	[x =] 24	6x - 11 = 4x + 37 2x = 48 x = 24
2	56 [centimeters]	$\sqrt{196} = 14$ 14 x 4 = 56
3	24 [ordered pairs]	(26, 24), (27, 23), , (48, 2), (49, 1) 49 – 25 = 24 pairs
4	11/12	(65)/(39) = 11/12
5	39601	(200 - 1)(200 - 1) = 40000 - 2(200)(1) + 1 = 40000 - 400 + 1 = 39601
6	11/45	12 to 96 = 4(3) to 4(24), so 22 multiples of 4 out of 90, 22/90 = 11/45
7		
8		
9		
10		